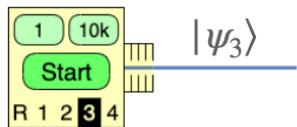


Finding the Unknown States Leaving an Oven (Spin- $\frac{1}{2}$ )

1. Launch the Spins Laboratory simulation and choose Unknown # 3 on the oven. This causes the atoms to come out of the oven in a definite quantum state (instead of a random state), which we call  $|\psi_3\rangle$ .



2. Assume that we want to write the unknown state vectors in terms of the  $|\pm\rangle$  basis, *i.e.*  $|\psi_3\rangle = a|+\rangle + b e^{i\gamma}|-\rangle$ , where  $a$  and  $b$  are real. We thus must use the data to find the values of  $a$ ,  $b$  and  $\gamma$ . Measure the six probabilities  $|_n\langle \pm|\psi_3\rangle|^2$ , where  $|\pm\rangle_n$  corresponds to the spin states (“spin up” and “spin down”) along the three axes  $n = x, y$  or  $z$ . Fill in the table for  $|\psi_3\rangle$  on the worksheet.
3. Using the probabilities determined from your experiments, calculate Unknown #3 ( $|\psi_3\rangle$ ) and write it in the  $|\pm\rangle$  basis.
4. Using the SPINS program, design and run a simulated experiment to verify your calculated state (Hint: recall the general spin- $\frac{1}{2}$  state vector can be written as  $|+\rangle_n = \cos \frac{\theta}{2}|+\rangle + \sin \frac{\theta}{2} e^{i\phi}|-\rangle$ ).

5. Repeat this exercise for Unknown # 4 ( $|\psi_4\rangle$ ).

Unknown  $|\psi_3\rangle$

Probabilities	Spin Component		
	$S_x$	$S_y$	$S_z$
Result			
$\mathcal{P}(\frac{\hbar}{2})$			
$\mathcal{P}(-\frac{\hbar}{2})$			

Unknown  $|\psi_4\rangle$

Probabilities	Spin Component		
	$S_x$	$S_y$	$S_z$
Result			
$\mathcal{P}(\frac{\hbar}{2})$			
$\mathcal{P}(-\frac{\hbar}{2})$			